



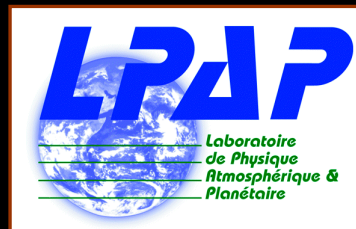
Monte-Carlo modeling of the electron aurora.

Benoit HUBERT

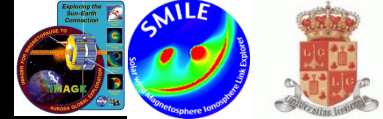
(LPAP, University of Liège, Belgium)

Dmitri V. Bisikalo and V.I. Shematovich

(Astrophysics Institute of the Russian Academy of Sciences)

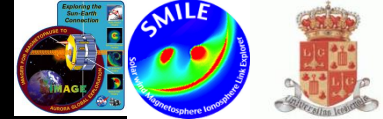


Context



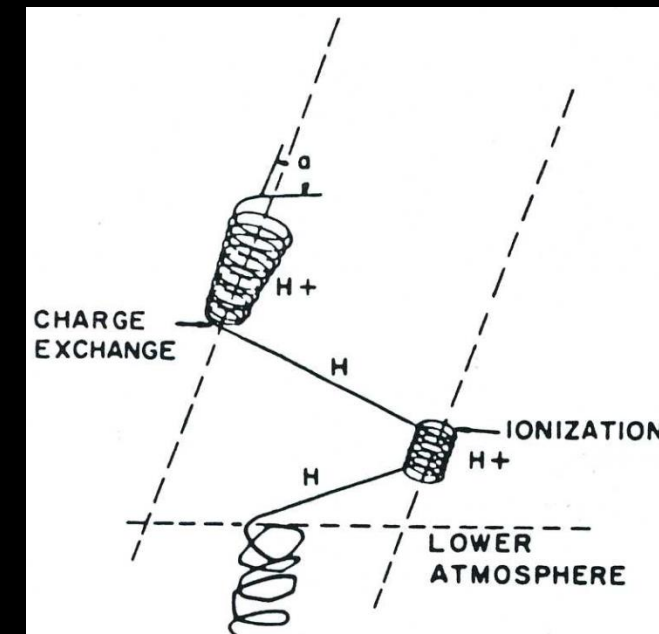
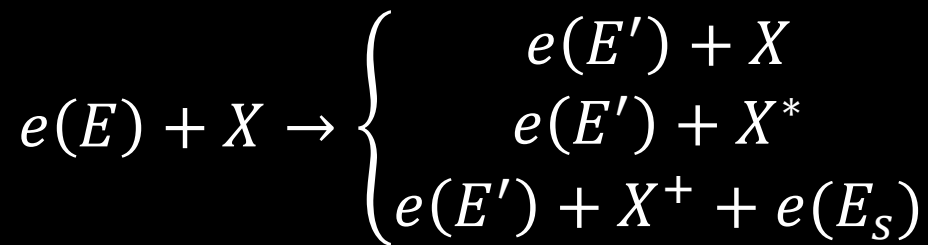
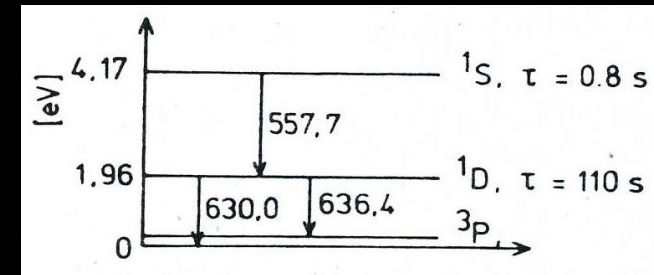
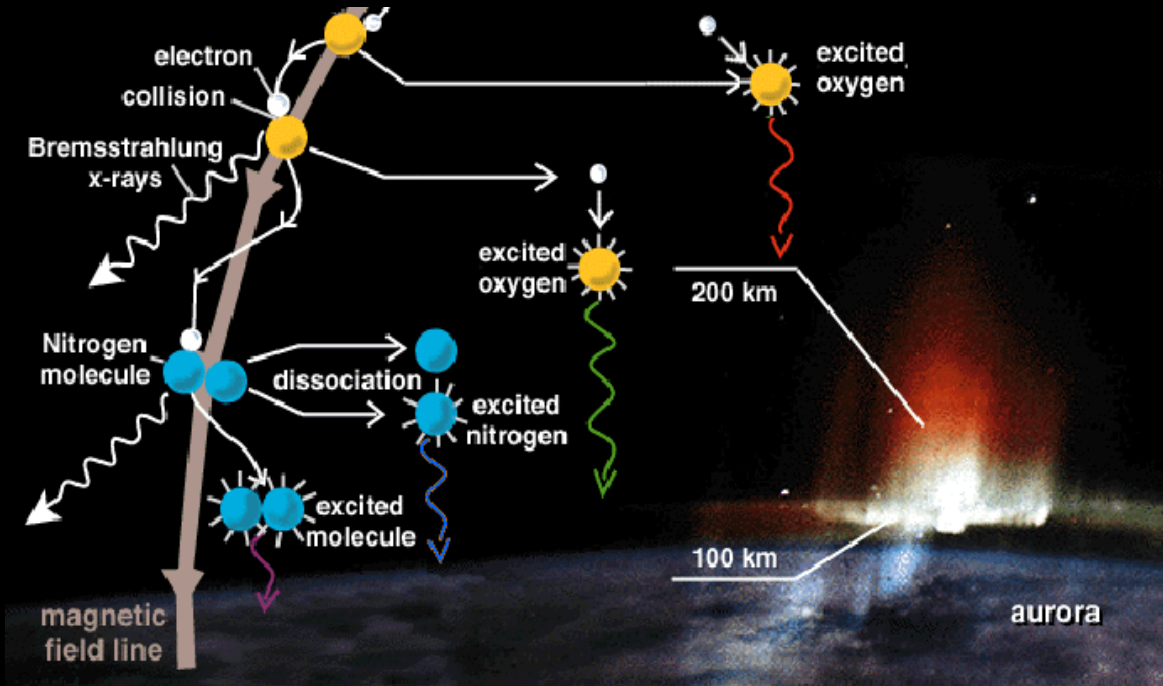
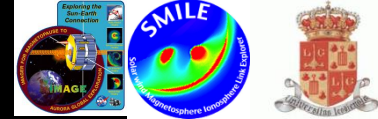
- Auroral emissions result from the precipitation of charged particles from the Earth magnetosphere into the ionosphere.
- Precipitating particles (electrons and protons) collide with the ambient gas constituents causing
 - Ionization that produces secondary electrons
 - Excitation and emission of light (mostly due to the secondaries)
 - An upward return flux of charged particles (the ionosphere remains neutral)

Context

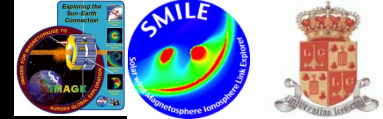


- Excitation of atoms and molecules (O and N₂ for example) produce emission of light that can be detected to remotely sense the auroral activity
- The return flow of particles produces a feedback on the acceleration region where auroral particles gain energy
- The ionosphere and magnetosphere are therefore coupled
- This coupling can be studied by measuring the particles flux (in situ) and by remotely sensing the auroral emissions (up to the global scale).

Context

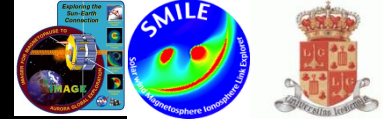


Monte-Carlo modeling



- A Monte-Carlo modelling of the aurora, or any other phenomenon related to gas kinetics, is a numerical analog describing the microscopic physics in a stochastic manner.
- A Markov chain is used to evolve the numerical sample representation of the modeled gas
- Statistical properties of the modeled gas are accumulated as the Markov chain is ran.

Monte-Carlo modeling



- The MC model produces a stochastic solution of the steady state Boltzmann equation:

$$\mathbf{v} \frac{\partial}{\partial \mathbf{r}} f_e + \mathbf{s} \frac{\partial}{\partial \mathbf{v}} f_e = Q_{e,photo}(\mathbf{v}) + Q_{e,secondary}(\mathbf{v}) + \sum_{M=O,CO,N_2,CO_2} J(f_e, f_M),$$

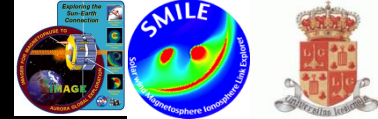
Advection/
acceleration in
phase space

Photoionization
when needed

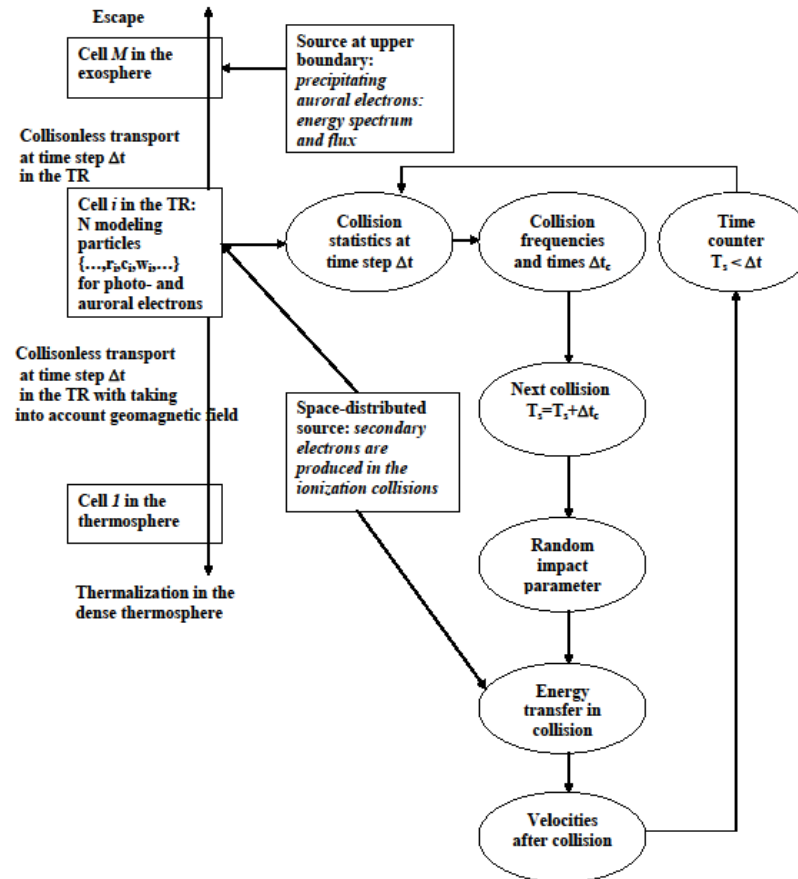
Production of
secondary electrons

Elastic and inelastic
scattering due to
collision with the
constituents of the
ambient gas

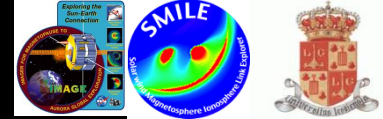
Monte-Carlo modeling



Kinetic Monte Carlo model of electron transport:

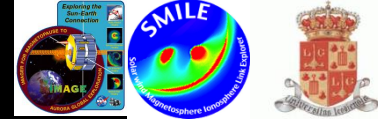


Preliminary results

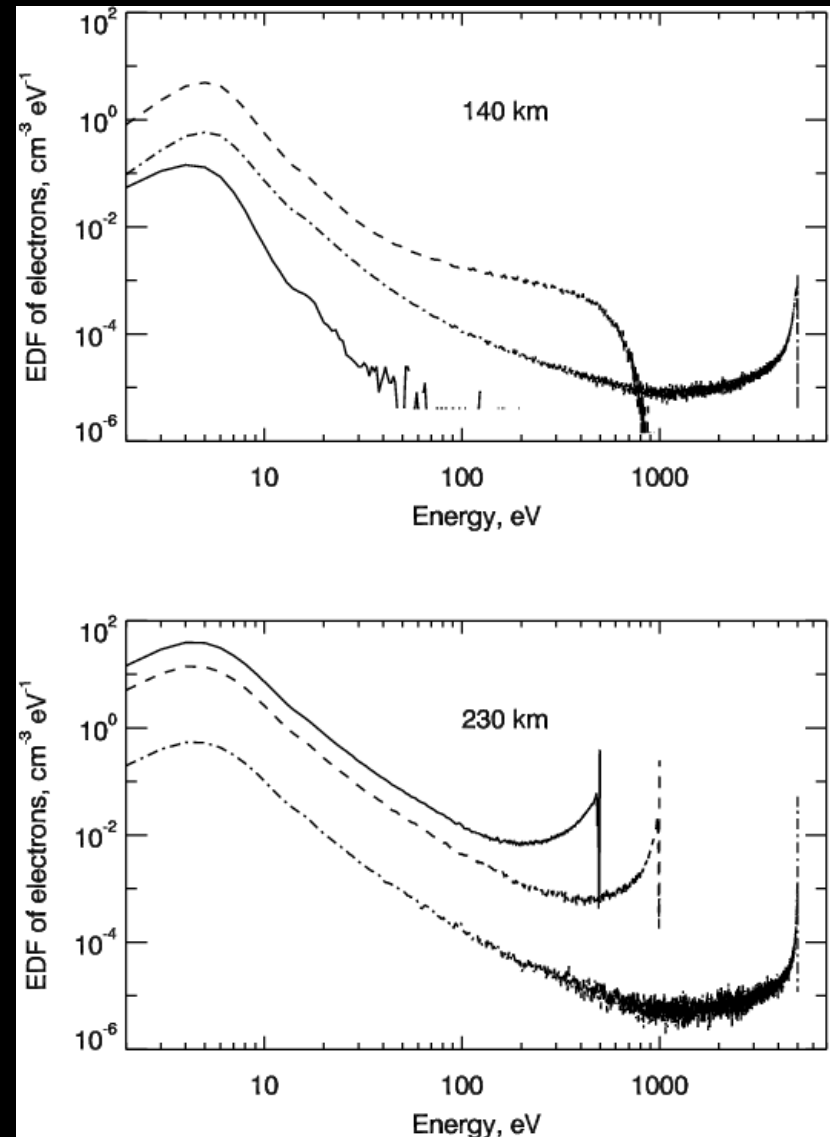


- The model produces runs for
 - Mono-energetic electron flux input at the top of the model (E_0 at choice of the user)
 - Mono-directional pitch angle distribution
 - Isotropic pitch angle distribution
- The MC code calls MSIS to obtain its atmospheric composition.
- CPU time: ~40 h (AMD opteron 6282 SE 2.6 - 3 Ghz)
- New machine with appropriate computing power ordered recently (2x Xeon E5 2640 v4 2.4 - 3.4 Ghz)

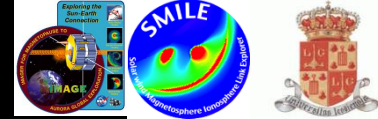
Energy distribution function



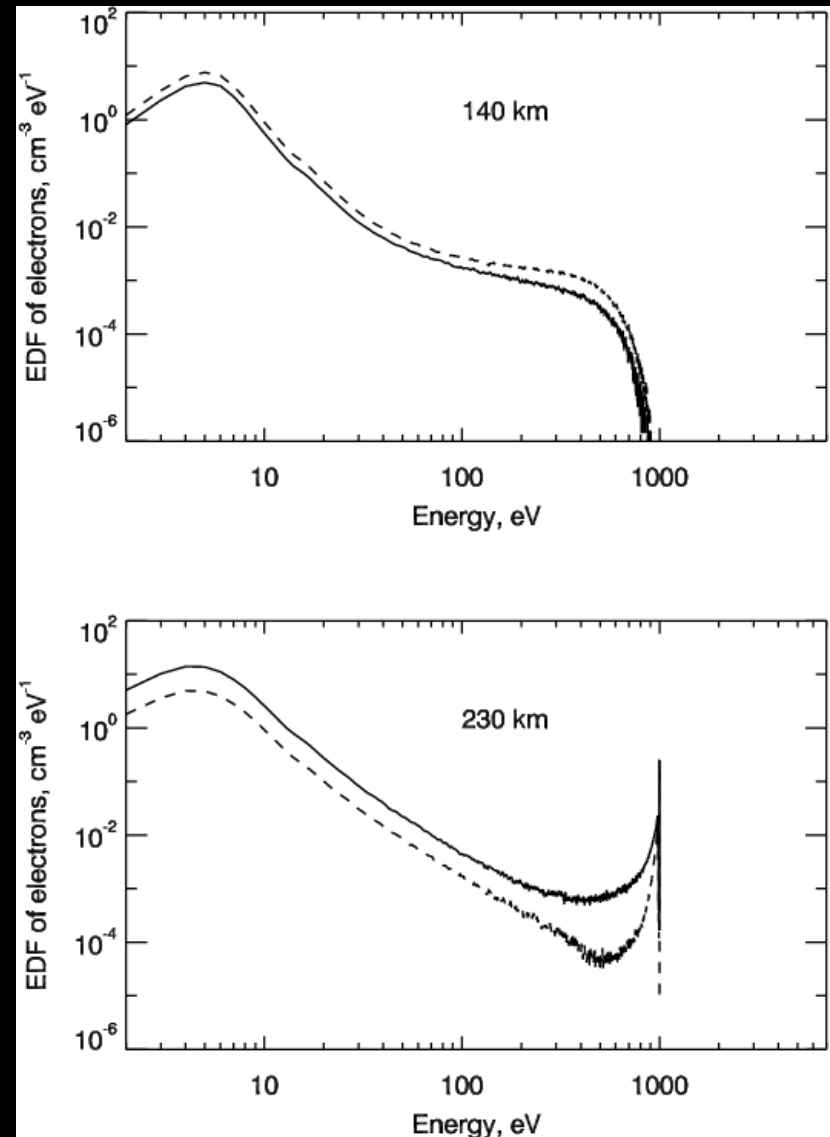
- Simulation for isotropic injection,
 - $E_0 = 0.5$ keV (solid),
 - 1 keV (dashes),
 - 5 keV (dash-dot)



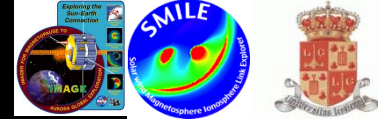
Energy distribution function



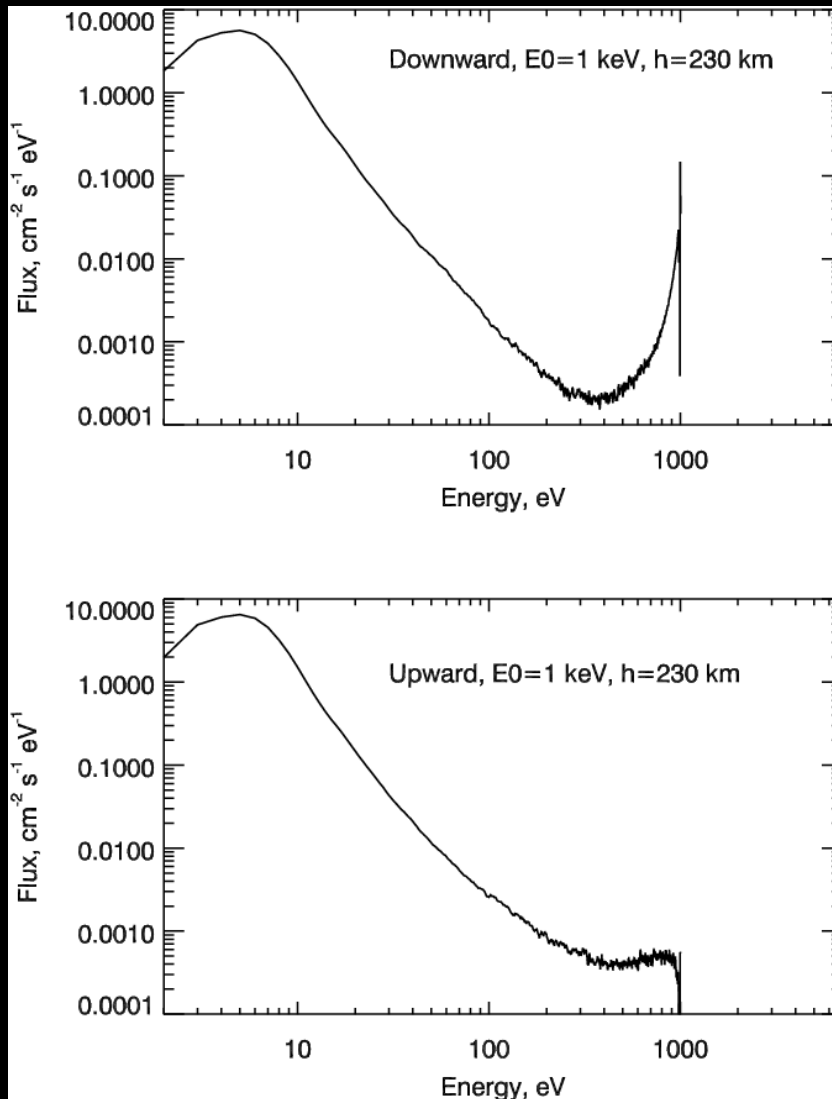
- $E_0 = 1 \text{ keV}$
 - solid: isotropic
 - dashed: mono-directional



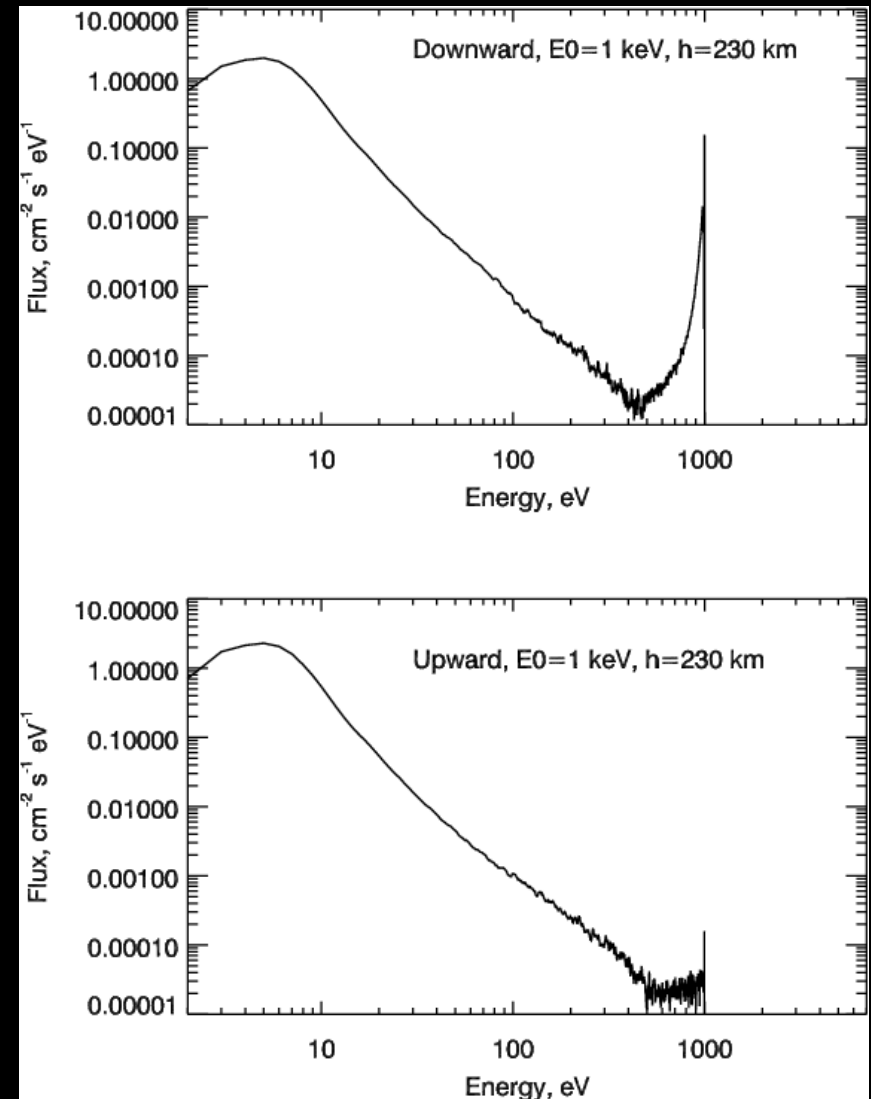
Particles flux at 230 km



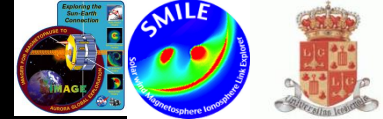
Isotropic



Mono-directional

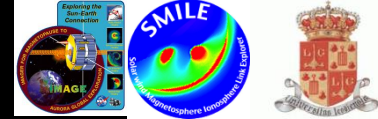


Conclusions

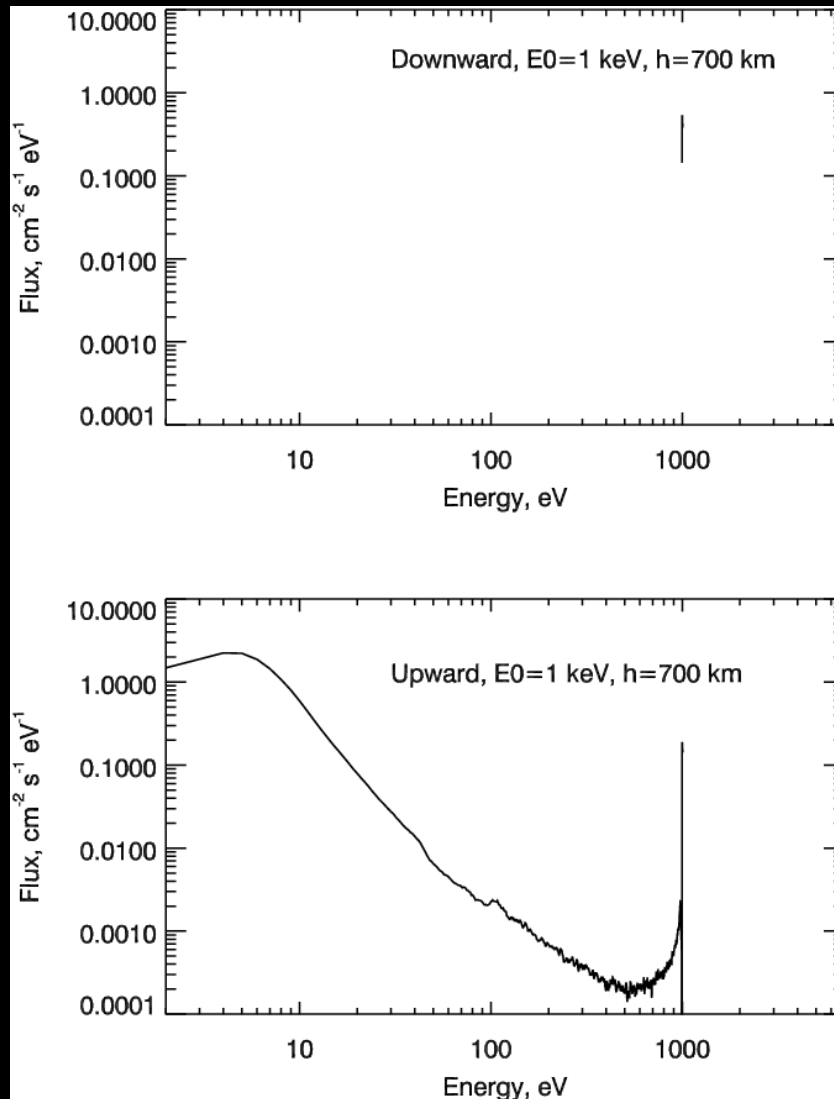


- A Monte-Carlo simulation model of the electron aurora has been developed.
- It computes the electron upward and downward fluxes needed for coupling with other simulation tools
- The effect of magnetic mirroring influences the return flux depending on the initial pitch angle distribution
- Auroral emissions can also be computed as a support to auroral imaging analysis for future space missions.

Particles flux at 700 km



Isotropic



Monodirectional

